# Prokaryotic and Eukaryotic Genome Annotation: gene structure and function 



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## Outline

- bacterial gene annotation
- a primer in Hidden Markov Models
- eukaryotic gene annotation


## Overview of Bacterial Annotation



## how to identify bacterial coding genes:



- annotation aims to identify true start (ATG) sites
- "long" open reading frames (ORFs)
- lots of "short" ORFs missed
- homology to known proteins (BLAST/FASTA)
- Ribosomal binding sites (RBS)
- canonical Shine-Dalgarno vs. species-specific 16S ribosome
- SD sequence not required for ribosomal S1 binding at upstream AU sites; requires options
- protein coding potential (codon usage, amino-acid frequency)
- $3^{\text {rd }}$-order or $6^{\text {th }}$-order Hidden Markov Models (HMMs)


## $a b$ initio bacterial gene finding



- Glimmer, GeneMark, GeneMark.hmm, GeneMarkS, ORPHEUS, CRITICA
- all $a b$ initio methods use some form of statistical models to represent expected microbial gene structures.


## GeneMark.hmm's microbial gene grammar


more about Hidden Markov Models (HMMs) soon!

## GeneMark.hmm's grammar for overlapping/operon genes



## bacterial gene finders are mostly accurate



A
B. subtilis


B E.coli

Glimmer generally more sensitive (false positives?)

## bacterial gene finders are mostly accurate

Table 4. Comparison of the GeneMarkS, Glimmer 2.02 and ORPHEUS gene prediction programs on the following test sets: the B.subtilis genome as annotated in GenBank (A); three sets of B.subtilis genes shorter than 300 nt with at least one (B), at least two (C) and at least 10 (D) significant homologies determined by BLAST analysis; and a set of 195 experimentally validated E.coli genes (E)

| Program | Test set | Genes in test set | Genes precisely predicted ${ }^{\text {a }}$ | Genes detected ${ }^{\text {b }}$ ( ${ }^{\prime}$ end) |
| :---: | :---: | :---: | :---: | :---: |
| Glimmer | A | 4099 | 2556 (62.4\%) | 4023 (98.1\%) |
| ORPHEUS | A |  | 3028 (73.9\%) | 3484 (85.0\%) |
| GeneMarkS | A |  | 3412 (83.2\%) | 3962 (96.7\%) |
| Glimmer | B | 123 | 70 (57.0\%) | 112 (91.1\%) |
| GeneMarkS | B |  | 102 (82.9\%) | 113 (91.9\%) |
| Glimmer | C | 72 | 41 (57.0\%) | 66 (91.7\%) |
| GeneMarkS | C |  | 64 (88.9\%) | 68 (94.4\%) |
| Glimmer | D | 51 | 26 (51.0\%) | 45 (88.2\%) |
| GeneMarkS | D |  | 46 (90.2\%) | 48 (94,1\%) |
| Glimmer | E | 195 | 139 (71.3\%) | 195 (100\%) |
| ORPHEUS | E |  | 148 (75.9\%) | 181 (92.8\%) |
| GeneMarkS | E |  | 184 (94.4\%) | 195 (100\%) |

Numbers in bold indicate the highest number of genes detected or genes precisely predicted for each test set.
aRefers to the case where both the $5^{\prime}$ end and the $3^{\prime}$ end predictions match the annotation.
${ }^{\text {'Refers }}$ to the case where the 3 ' end prediction (and not necessarily 5 ' end prediction) matches the annotation.


Table 3. Comparison of annotation of E.coli $K$-12 accession U00096.2

| Feature | Reference | Prokka | RAST | xBase2 |
| :--- | :---: | :---: | :---: | :---: |
| Total CDS | 4321 | $\mathbf{4 3 0 5}$ | 4512 | 4444 |
| Matching start | - | $\mathbf{3 8 2 8}$ | 3571 | 3025 |
| Different start | - | $\mathbf{3 1 8}$ | 533 | 1052 |
| Missing CDS | - | $\mathbf{1 7 2}$ | 214 | 241 |
| Extra CDS | - | $\mathbf{1 5 9}$ | 405 | 367 |
| Hypothetical protein | 18 | 276 | 638 | $\mathbf{1 5 6}$ |
| With EC number | 114 | 1050 | $\mathbf{1 1 1 8}$ | 0 |
| Total tRNA | 89 | $\mathbf{8 8}$ | 86 | $\mathbf{8 8}$ |
| Total rRNA | 22 | $\mathbf{2 2}$ | $\mathbf{2 2}$ | $\mathbf{2 2}$ |

The bold denotes the best performing tool (column) for that attribute (row). The italics are "subsets" of the "Total CDS" section.

## orthology-dependent annotation




Functional Similarity of Orthologs and Paralogs in S. cervisiae and S. Pombe
A. All Ontologies

C. Biological Process


Inparalogs
Within-spec. outparalogs $\theta$ Between-spec. outparalogs
B. Cellular Component

D. Molecular Function


Sequence divergence (\% Identity)

1:1 orthologs $\square$
Other orthologs $\triangle$

## take home: bacterial gene annotation

- 5' ATG start sites harder to get right than 3' stop sites
- homology-based methods are complementary to ab initio tools
- functional prediction driven by homology and existing annotations: "guilt by association"
- integrated annotation pipelines (AGeS, RAST, PIPA, MaGe, Prokka, JCVI/IGS annotation service) are the modern standard
- incomplete/metagenomic assemblies still rife with sequencing+assembly errors ... impact on ORFs
- OK, but what is this HMM stuff all about?
"What makes HMMs so popular is that the name is so tantalizing. Something is hidden, and we're finding it, and we have a Russian name to do it."
- David Lipman

Science: 273:590, 1996

## Hidden Markov Models (HMMs)

- a statistical model that relates observations to underlying, explanatory variables
- a linear model relates $y$ to $x_{1}, x_{2}, \ldots, x_{n}$ with:

$$
y=a+b_{1} x_{1}+b_{2} x_{2}+\ldots+b_{n} x_{n}+\varepsilon
$$

- the observations $D$ are sequential (Markov), exhibit $K^{\text {th }}-o r d e r ~\left(e . g .1^{\text {st }}-o r d e r\right)$ correlations
- usually shown as edges between nodes in a graph
- all $\boldsymbol{x}_{\boldsymbol{i}}$ 's (for some subset of $\boldsymbol{i}$ in $\boldsymbol{n}$ ) are structurally unobserved, latent, i.e. hidden
- not the same as "missing data"
- only categorical variables, i.e. "labels"


## HMMs for sequential inference

- four aspects/parts to all HMMs:
- observed sequential data (D)
- hidden/unobserved labels (L)
- state-graph topology/structure (G)
- enumerated states (nodes)
- allowed transmissions (edges) between states
- labeled state emissions (observations)
- model parameters $\left(\theta_{\mathrm{G}}\right)$
- transmission \& emission probabilities


## HMMs for sequential inference

- four aspects/parts to all HMMs:
- observed sequential data (D)
- hidden/unobserved labels (L)
- state-graph topology/structure (G)
- model parameters $\left(\theta_{G}\right)$
- four issues answered with HMMs:
- given G,D,L, $\theta_{G}$; how likely is D (scoring)?
- given $G, D, \theta_{G}$; what is the best $L$ ? (labeling)
- given $G, D, L ;$ what is the best $\theta_{G}$ ? (training)
- given G,D; what is the best $\theta_{G}$ ? (training)


## HMM example: the sick child

- a child feels either "cold", "dizzy" or "normal" at any given time (observed)
- the parent is trying to figure out whether the child is "healthy" or "feverish" (hidden labels)
- being "cold", "dizzy", or "normal" does not directly indicate health/fever, but is correlated
- health/fever episodes are sequentially correlated


## completely specified sick child HMM:

(hidden) labels (L): H H H $\boldsymbol{F} \boldsymbol{F} H$ H H H F $\boldsymbol{F} \boldsymbol{F}$ H H H H data (D): C N N C D N N D C N C D N C N N

possible state emissions
four aspects/parts to all HMMs:

- observed sequential data (D)
- hidden/unobserved labels (L)
- state-graph topology/ structure (G)
- model parameters $\left(\boldsymbol{\theta}_{\mathrm{G}}\right)$
- emission alphabet (Dizzy, Cold, Normal)
- state-specific emission probabilities (red and blue numbers)
- state-to-state transition probabilities (black numbers)


## HMMs for sequential inference

- given $G, D, L, \theta_{G}$; how likely is $D$ ? (scoring)
- calculate $\mathrm{P}(\mathrm{D} \mid \mathrm{L})$ using Markov chain rule
- given $G, D, \theta_{G}$; what is the best L? (labeling)
- employ Viterbi along state/observation "trellis"
- given G,D,L; what is the best $\theta_{G}$ ?
(training with labels/truth: supervised)
- maximum likelihood (ML): find $\theta_{G}$ that optimizes $P(D \mid L)$
- given G,D; what is the best $\theta_{G}$ ?
(training without labels/truth: unsupervised)
- Baum-Welch (EM): iterate between expected labeling (forward/backward) and training (ML) until convergence

Basic conditional probability rule:

$$
P(A, B)=P(A \mid B) P(B)
$$

The Markov chain rule:

$$
\begin{aligned}
& P\left(q_{1}, q_{2}, \ldots, q_{T}\right) \\
& \quad=P\left(q_{T} \mid q_{1}, q_{2}, \ldots, q_{T-1}\right) P\left(q_{1}, q_{2}, \ldots, q_{T-1}\right) \\
& \quad=P\left(q_{T} \mid q_{T-1}\right) P\left(q_{1}, q_{2}, \ldots, q_{T-1}\right) \\
& \quad=P\left(q_{T} \mid q_{T-1}\right) P\left(q_{T-1} \mid q_{T-2}\right) P\left(q_{1}, q_{2}, \ldots, q_{T-2}\right) \\
& \quad=P\left(q_{T} \mid q_{T-1}\right) P\left(q_{T-1} \mid q_{T-2}\right) \cdots P\left(q_{2} \mid q_{1}\right) P\left(q_{1}\right)
\end{aligned}
$$

## HMM scoring: Markov chain rule



## HMM scoring: Markov chain rule



## HMM scoring: Markov chain rule



## High Scoring != High Probability

## truth: H H H F F H H H H F F F H H H H data: C N N C D N N D C N C D N C N N

$1.7 \mathrm{e}-11$ is not very probable; how
"remarkable" is this particular set of observations, compared to a more "expected" series of observations?

truth: H H H F F H H H H F F F H H H H data: $N \mathrm{~N} N \mathrm{D}$ D N N N N D D D N N N N

(this is the "perfect" series of observations with maximal correlation to the underlying truth)

## High Scoring != High Probability

```
truth: H H H F F H H H H F F F H H H H data: C N N C D N N D C N C D N C N N
```

$1.7 \mathrm{e}-11$ is not very probable; how
"remarkable" is this particular set of observations, compared to a more "expected" series of observations?

```
truth: H H H FF FH H H H F F F H H H H
    data: N N N D D N N N N D D D N N N N
```

Answer: 4.1e-09 - more than 200x more likely that the observed data, but not itself high probability -> large combinatoric space of possible sequences

## overall probability of a sequence

- instead of $P\left(D \mid L, G, \theta_{G}\right)$, we could ask $P\left(D \mid G, \theta_{G}\right)$ - i.e. independent of any "true" labeling, what's the chance of this exact sequence to arise from this HMM?
- the "forward" algorithm calculates this probability:
- original sequence: $P\left(D \mid G, \theta_{G}\right)=1.9 e-08$
- "expected" sequence: $2.5 \mathrm{e}-08$


## HMMs for sequential inference

- given $G, D, L, \theta_{G}$; how likely is $D$ ? (scoring)
- calculate P(D|L) using Markov chain rule
- given $G, D, \theta_{G}$; what is the best L? (labeling)
- employ Viterbi along state/observation "trellis"
- given G,D,L; what is the best $\theta_{G}$ ?
(training with labels/truth: supervised)
- maximum likelihood (ML): find $\theta_{G}$ that optimizes $P(D \mid L)$
- given G,D; what is the best $\theta_{G}$ ?
(training without labels/truth: unsupervised)
- Baum-Welch (EM): iterate between expected labeling (forward/backward) and training (ML) until convergence

State/Observation "trellis"


$$
\begin{array}{llllllll}
\mathbf{o}_{1} & \mathbf{O}_{2} & \mathbf{O}_{\mathrm{t}-1} & \mathbf{o}_{\mathrm{t}} & \mathbf{o}_{\mathrm{t}+1} & \mathbf{O}_{\mathrm{t}+2} & \mathbf{o}_{\mathrm{T}-1} & \mathbf{o}_{\mathrm{T}}
\end{array}
$$

OBSERVATION

## HMM labeling: Viterbi



$$
\begin{array}{rllllllllllllllll} 
& & & & & & & & & 1 & 1 & 1 & 1 & 1 & 1 \\
\text { idx: } & 1 & 2 & 3 & 4 & 5 & 6 & 7 & 8 & 9 & 0 & 1 & 2 & 3 & 4 & 5 & 6 \\
\text { truth: } & \mathrm{H} & \mathrm{H} & \mathrm{H} & \mathrm{~F} & \mathrm{~F} & \mathrm{H} & \mathrm{H} & \mathrm{H} & \mathrm{H} & \mathrm{~F} & \mathrm{~F} & \mathrm{~F} & \mathrm{H} & \mathrm{H} & \mathrm{H} & \mathrm{H} \\
\text { data: } & \mathrm{C} & \mathrm{~N} & \mathrm{~N} & \mathrm{C} & \mathrm{D} & \mathrm{~N} & \mathrm{~N} & \mathrm{D} & \mathrm{C} & \mathrm{~N} & \mathrm{C} & \mathrm{D} & \mathrm{~N} & \mathrm{C} & \mathrm{~N} & \mathrm{~N}
\end{array}
$$

$$
\begin{aligned}
& P_{1, j}=P\left(L_{1} \mid S_{1, j}\right) P\left(S_{1, j}\right) \\
& P_{i, j}=\max _{k \in K}\left\{P\left(L_{i} \mid S_{i, j}\right) P\left(S_{i, j} \mid S_{i-1, k}\right) P_{i-1, k}\right\}
\end{aligned}
$$

| Data: | C | N | N | C | D | N | N | D | C | N | C | D | N | $\ldots$ |
| ---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Healthy | $\mathrm{P}(\mathrm{C} \mid \mathrm{H}) * \mathrm{P}(\mathrm{H})$ |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Fever | $\mathrm{P}(\mathrm{C} \mid \mathrm{F}) * \mathrm{P}(\mathrm{F})$ |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Label: | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ |

## HMM labeling: Viterbi



## HMM labeling: Viterbi



$$
\begin{array}{rllllllllllllllll} 
& & & & & & & & & 1 & 1 & 1 & 1 & 1 & 1 \\
\text { idx: } & 1 & 2 & 3 & 4 & 5 & 6 & 7 & 8 & 9 & 0 & 1 & 2 & 3 & 4 & 5 & 6 \\
\text { truth: } & H & H & H & F & F & H & H & H & H & F & F & F & H & H & H & H \\
\text { data: } & C & N & N & C & D & N & N & D & C & N & C & D & N & C & N & N
\end{array}
$$

$$
\begin{aligned}
& P_{1, j}=P\left(L_{1} \mid S_{1, j}\right) P\left(S_{1, j}\right) \\
& P_{i, j}=\max _{k \in K}\left\{P\left(L_{i} \mid S_{i, j}\right) P\left(S_{i, j} \mid S_{i-1, k}\right) P_{i-1, k}\right\}
\end{aligned}
$$



| Data: | C | N | N | C | D | N | N | D | C | N | C | D | N | $\ldots$ |
| ---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | ---: |
| Healthy | 0.24 |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Fever | 0.12 |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Label: | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ |

## HMM labeling: Viterbi



## HMM labeling: Viterbi



$$
\text { idx: } 1 \begin{array}{llllllllllllllll}
1 & 2 & 3 & 4 & 5 & 6 & 7 & 8 & 9 & 0 & 1 & 2 & 3 & 4 & 5 & 6
\end{array}
$$ truth: H H H F F H H H H F F F H H H H data: C N N C D N N D C N C D N C N N

$$
\begin{aligned}
& P_{1, j}=P\left(L_{1} \mid S_{1, j}\right) P\left(S_{1, j}\right) \\
& P_{i, j}=\max _{k \in K}\left\{P\left(L_{i} \mid S_{i, j}\right) P\left(S_{i, j} \mid S_{i-1, k}\right) P_{i-1, k}\right\}
\end{aligned}
$$



| Data: | C | N | N | C | D | N | N | D | C | N | C | D | N | $\ldots$ |
| ---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Healthy | 0.24 | $0.5 * 0.7 * 0.24=0.084$ <br> $0.5 * 0.4 * 0.12=0.024$ |  |  |  |  |  |  |  |  |  |  |  |  |
| Fever | 0.12 | $0.1 * 0.3 * 0.24=0.0072$ <br> $0.1 * 0.6 * 0.12=0.0072$ |  |  |  |  |  |  |  |  |  |  |  |  |
| Label: | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ | $?$ |

## HMM labeling: Viterbi



idx: 1 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 0 | 1 | 2 | 1 | 1 | 1 | 1 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | truth: H H H F F H H H H F F F H H H H data: C N N C D N N D C N C D N C N N



$$
\begin{aligned}
& P_{1, j}=P\left(L_{1} \mid S_{1, j}\right) P\left(S_{1, j}\right) \\
& P_{i, j}=\max _{k \in K}\left\{P\left(L_{i} \mid S_{i, j}\right) P\left(S_{i, j} \mid S_{i-1, k}\right) P_{i-1, k}\right\}
\end{aligned}
$$

| Data: | C | N | N | C | D | N | N | D | C | N | C | D | N | $\ldots$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Healthy | 0.24 | $\begin{gathered} 0.084 \\ \text { (H) } \end{gathered}$ | $\begin{aligned} & P(N \mid H) * P(H \mid H) * 0.088 \\ & P(N \mid H) * P(H \mid F) * 0.0072 \end{aligned}$ |  |  |  |  |  |  |  |  |  |  |  |
| Fever | 0.12 | $\begin{array}{\|c\|c\|} \hline .0072 \\ (\mathrm{FFH}) \end{array}$ | $\begin{aligned} & P(N \mid F) * P(F \mid H) * 0.084 \\ & P(N \mid F) * P(F \mid F) * 0.0072 \end{aligned}$ |  |  |  |  |  |  |  |  |  |  |  |
| Label: | H | H | H | H | F | H | H | F | H | H | ? | ? | ? | ? |

## HMM labeling: Viterbi



$$
\begin{aligned}
& P_{1, j}=P\left(L_{1} \mid S_{1, j}\right) P\left(S_{1, j}\right) \\
& P_{i, j}=\max _{k \in K}\left\{P\left(L_{i} \mid S_{i, j}\right) P\left(S_{i, j} \mid S_{i-1, k}\right) P_{i-1, k}\right\}
\end{aligned}
$$

| Data: | C | N | N | C | D | N | N | D | C | N | C | D | N | $\ldots$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Healthy | 0.24 | $\begin{gathered} 0.084 \\ \text { (H) } \end{gathered}$ | $0.029$ | $\underset{(\mathrm{H})}{0.0082}$ | $\left\|\begin{array}{c} 5.8 \mathrm{e}-04 \\ \text { (H) } \end{array}\right\|$ | $\begin{gathered} 3 \mathrm{e}-04 \\ (\mathrm{~F}) \end{gathered}$ | $1 \mathrm{e}-04$ | $\left\|\begin{array}{c} 7.3 \mathrm{e}-06 \\ \text { (H) } \end{array}\right\|$ | $\begin{gathered} 3 \mathrm{e}-06 \\ (\mathrm{~F}) \end{gathered}$ | $\underset{\text { (H) }}{1 \mathrm{e}-06}$ | $\left\lvert\, \begin{gathered} 2.9 \mathrm{e}-07 \\ (\mathrm{H}) \end{gathered}\right.$ | $\begin{gathered} 2 \mathrm{e}-08 \\ (\mathrm{H}) \end{gathered}$ | $\begin{array}{\|c\|c\|c\|c\|c\|} \hline 1 \mathrm{E}-08 \\ (\mathrm{~F} \end{array}$ |  |
| Fever | 0.12 | $\begin{gathered} 0.0072 \\ (\mathbf{F} \mid \mathrm{H}) \end{gathered}$ | $\underset{(\mathrm{H})}{0.0025}$ | $\underbrace{0.0026}_{(\mathrm{H})}$ | $\underset{(\mathrm{H})}{0.0015}$ | $\underset{(\mathrm{F})}{8.9 \mathrm{e}-05}$ | $8.9 e-06$ (H) | $\begin{aligned} & 1.9 \mathrm{e}-05 \\ & (\mathrm{H}) \end{aligned}$ | $\begin{gathered} 3.4 \mathrm{e}-06 \\ (\mathrm{~F}) \end{gathered}$ | $\begin{gathered} 2 \mathrm{e}-07 \\ \text { (H) } \end{gathered}$ | $\left\lvert\, \begin{gathered} 9.4 \mathrm{e}-08 \\ \text { (H) } \end{gathered}\right.$ | $\begin{gathered} 5.3 \mathrm{e}-08 \\ \text { (H) } \end{gathered}$ | $\begin{gathered} 3.2 e-09 \\ (F) \end{gathered}$ |  |
| Label: | H | H | H | H | F | H | H | F | H | H | H | F | H | ... |

## The occasionally dishonest casino

## A casino uses a fair die most of the time, but

 occasionally switches to a loaded one:- Fair die: $\operatorname{Prob}(1)=\operatorname{Prob}(2)=\ldots=\operatorname{Prob}(6)=1 / 6$
- Loaded: $\operatorname{Prob}(1)=\operatorname{Prob}(2)=\ldots=\operatorname{Prob}(5)=1 / 10$, but $\operatorname{Prob}(6)=1 / 2$


Fair and unfair die

| 0 | HHH |
| :---: | :---: |
| 10 - |  |
| ナ |  |
| $\cdots$ |  |
| N - |  |
| - |  |

## Fair and unfair die



## HMMs for sequential inference

- given G,D,L, $\theta_{G}$; how likely is $D$ ? (scoring)
- calculate $\mathrm{P}(\mathrm{D} \mid \mathrm{L})$ using Markov chain rule
- given G,D, $\theta_{G}$; what is the best L? (labeling)
- employ Viterbi along state/observation "trellis"
- given $G, D, L ;$ what is the best $\theta_{G}$ ? (training with labels/truth: supervised)
- maximum likelihood (ML): find $\theta_{G}$ that optimizes $P(D \mid L)$
- given G,D; what is the best $\theta_{G}$ ?
(training without labels/truth: unsupervised)
- Baum-Welch (EM): iterate between expected labeling (forward/backward) and training (ML) until convergence


## HMMs in computational genomics

- protein domain/sequence alignment
- multiple sequence alignment
- CNV inference
- SNP/haplotype inference
- CpG-methylation inference
- many, many, many others



## eukaryotic gene structure




## Intron Sequence Patterns



## a simple HMM for eukaryotic genes



## the GenScan/SNAP HMM topology



## Comparative $a b$ initio methods

DNA sequence x

DNA sequence y

state path


## DoubleScan



## TwinScan/N-Scan



FIG. 4. Exact gene accuracy in human.


## "combiners"



## "combiners" - just another HMM



## combiners improve accuracy a bit





| Source | Ind. | Source | Ind. |
| :--- | :--- | :--- | :--- |
| Augustus-any | 1 | ExonHunter | 10 |
| Jigsaw | 2 | GeneZilla | 11 |
| Pairagon-any | 3 | Dogfish | 12 |
| Ensembl | 4 | GeneMark | 13 |
| Aceview | 5 | Twinscan | 14 |
| Craig | 6 | Geneid | 15 |
| Exogean | 7 | Saga | 16 |
| FgenesH++ | 8 | Genscan | 17 |
| Mars | 9 |  |  |

## Ensembl and UCSC pipelines



## Alternative Splicing

A



FIG. 2. (A) A cutoff from a locus showing $k=3$ transcripts ( $r n a_{1}, r n a_{2}$ and $r n a_{3}$ ) and 8 sites $\left\langle s_{1}, \ldots, s_{8}\right\rangle$. The exonintron structure is shown schematically, i.e., exons (boxes) and introns (lines) are not drawn to scale. Different variants can be observed, for instance ( $s_{1}, s_{5},\left\{r n a_{1}, r n a_{2}\right\}$ ). (B) The corresponding splicing graph structure after contracting uninformative vertices. Dotted lines indicate the paths supported by single transcripts $r n a_{1}, r n a_{2}$ and $r n a_{3}$. (C) Ovals highlight all 3 bubbles, that is ( $s_{1}, s_{6},\left\{r n a_{2}\right\},\left\{r n a_{3}\right\}$ ), ( $s_{5}, s_{8},\left\{r n a_{1}\right\},\left\{r n a_{2}\right\}$ ) and ( $\left.s_{1}, s_{8},\left\{r n a_{1}\right\},\left\{r n a_{2}\right\},\left\{r n a_{3}\right\}\right)$. In contrast, there exists no bubble between $s_{5}$ and $s_{6}$ because they are connected by only a single variant (i.e., $r n a_{2}$ ).

## ExAlt - yep, another HMM



## manual (re)annotation tools

- prokaryotic: Manatee/Ergatis, MaGe/ MicroScape, ...
- eukaryotic: Apollo, Artemis, ZMAP/ Otterlace, ACEdb, ...


# ncRNA gene finding: Infernal 



## ncRNA gene finding: Infernal




## recap: eukaryotic gene prediction

- still a hard problem to distinguish genes from genome
- challenges to consider: alternative splicing, pseudogenes, incomplete UTRs, cis/transsplicing, ...
- ncRNA limited by length, unknown families
- euk annotation pipelines (Ensembl, UCSC, MAKER, etc.) integrate many algorithms
- will RNAseq eliminate our need for such tools? ... tune in Friday

